## TRIADS

A TRIAD is a chord of three tones consisting of a root, third and fifth.
(A)


The ROOT is the tone on which a triad is built. When the root appears as the lowest tone, the triad is said to be in ROOT POSITION.

A MAJOR TRIAD is a chord of three tones consisting of a root, major third and perfect fifth.

Major triads in root position:
(B)


The triad built on the first degree of the scale is called a TONIC TRIAD. It is marked with a Roman numeral I below and a capital letter for the name of the chord (triad) above.

In any major scale the tonic triad is a MAJOR CHORD.
(C) Key of

C Major


The triad built on the fifth degree of the scale is called a DOMINANT TRIAD. It is marked with a Roman numeral V below and a capital letter for the name of the chord (triad) above.

In any major scale the dominant triad is a MAJOR CHORD.
(D) Key of C Major


Tonic and dominant triads in major keys:
(E) Key of


* For review of triads, see MASTER THEORY -Book 3, Lessons 83-88.


## STUDENT ASSIGNMENT



In Ex. 1 and 2 write the major chords $I$ and $V$ above the Roman numerals in the keys indicated. Write the letter names of the chords above.


In Ex. 3 and 4 write the major chords below their letter names in the keys indicated. Write the proper Roman numerals below.


In Ex. 5 and 6 fill in the missing note in the major chords and write the letter name of the chord above. All chords are to be in root position.


In Ex. 7 and 8 write the proper Roman numerals under each chord and the letter names above.

8



MELODY WRITING

The following examples illustrate three different melodies written to the same harmonic progression. A note from the harmony chord is used on the first beat of each measure.
(A)



Lesson 18
STUDENT ASSIGNMENT

| Date |
| :--- |
| Grade |

Write two different, original melodies in the treble clef, in the key of F. Begin each measure with a note from the harmony chord. Mark the passing $(P)$ and neighboring ( $N$ ) notes.
Melody \#1


Complete the following melody. Mark the passing ( P and neighboring $(\mathbb{N})$ notes.


